

Scaling Data-Constrained Language Models

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arxiv.org/abs/2305.16264

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Outline

(1) Scaling language models

Background on what, why &
how of scaling

(2) Data-constrained scaling




Scaling with repeated data
Mixing modalities & revising filtering

Please interrupt with questions / thoughts anytime!

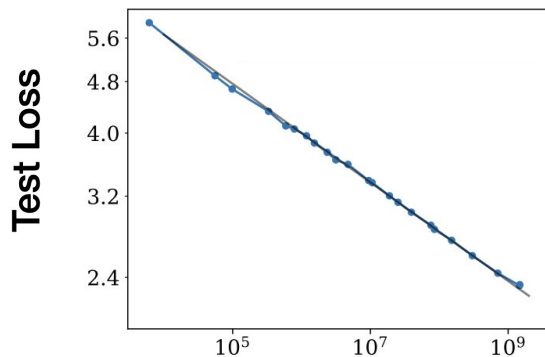
What is scaling?

$$a \times \text{Model size} \times \text{Training data} = \text{Training compute}$$

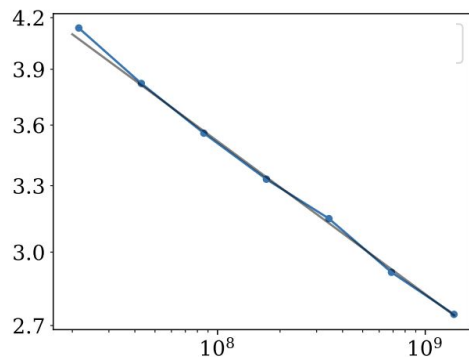
The equation is illustrated with icons: a robot for 'Model size', a stack of books for 'Training data', and a laptop for 'Training compute'.

	Model size (# parameters)	Training data (# tokens)	Training compute (FLOPs)	Resources
 BERT-base (2018)	109M	250B	1.6e20	64 TPU v2 for 4 days (16 V100 GPU for 33 hrs)
 GPT-3 (2020)	175B	300B	3.1e23	~1,000x BERT-base
 PaLM (2022)	540B	780B	2.5e24	6k TPU v4 for 2 months

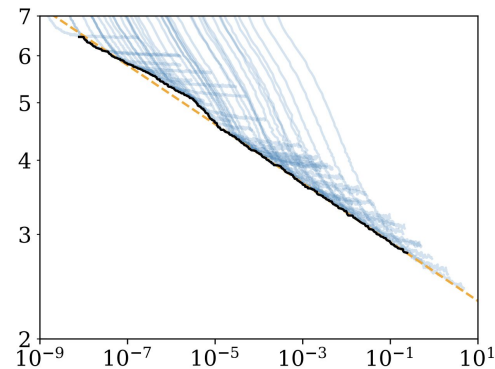
How important is scaling? (Return)



Model size



Training data



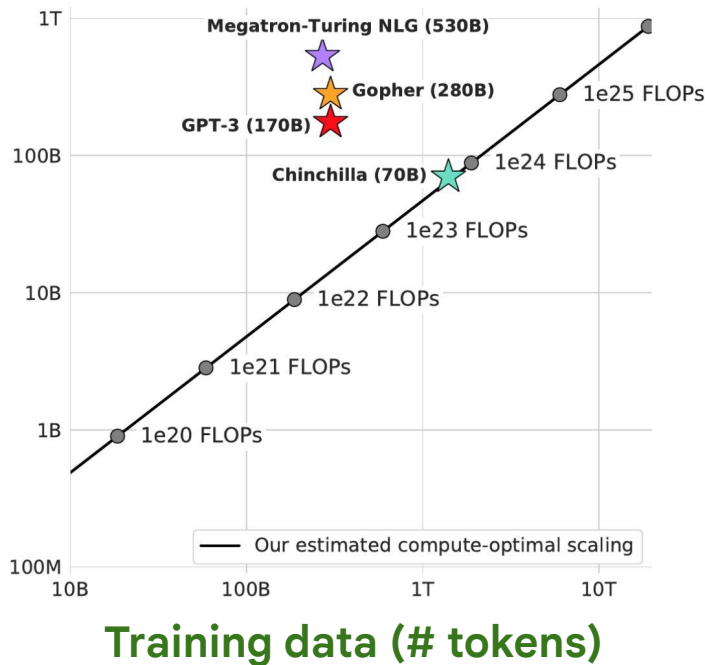
Compute



Language models improve as a **power-law** with *model size*, *training data*, and amount of compute used for training.

How to scale? (Allocation)

Model size
(# parameters)



Optimal compute allocation is scaling *model size* & *training data* **equally** (Chinchilla).



Predictive formula

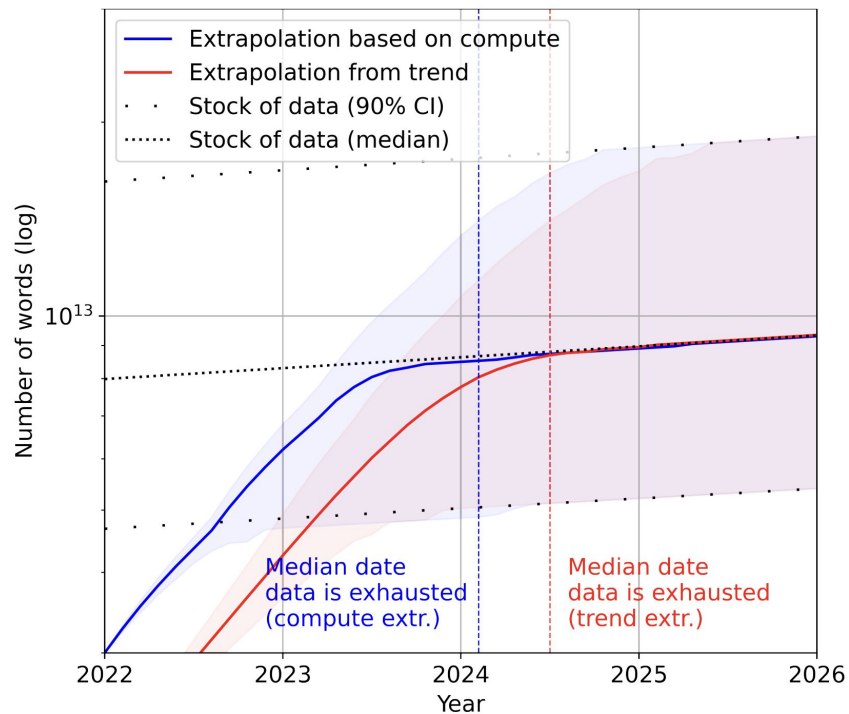
We can estimate loss (L) given **model size (N)**, **training data (D)**, and learned constants:

$$L(N, D) = \frac{A}{N^\alpha} + \frac{B}{D^\beta} + E$$

Fitting the constants, yields: $\alpha \approx \beta$

i.e. equal scaling of **N** and **D**.

Scaling is **data**-constrained



High-quality language data

Papers: ~1T tokens

Books: ~1.6T tokens

+ Other sources (Wikipedia etc)

Code data

GitHub: ~14T tokens

Low-resource languages

Finnish 🇫🇮 (6M speakers): 38B tokens

(across public and closed sources incl. libraries, social media, web crawls etc.)

[Will we run out of data? An analysis of the limits of scaling datasets in Machine Learning \(2022\)](#)
[chinchilla's wild implications \(2022\)](#)

[FinGPT: Large Generative Models for a Small Language \(2023\)](#)

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Mixing modalities & revising filtering




Repeating **data** considered harmful for LLMs

GPT-3: “Data are sampled **without replacement** during training...”

PaLM: “We train all three models on exactly one epoch of the data ... and choose the mixing proportions **to avoid repeating data in any subcomponent.**”

Is repeating  **data** really so bad?

Experimental setup



Training compute (FLOPs)	Model size (# parameters)	Training data (# tokens)
9.3e20	2.8B	55B
2.1e21	4.2B	84B
9.3e21	8.7B	178B

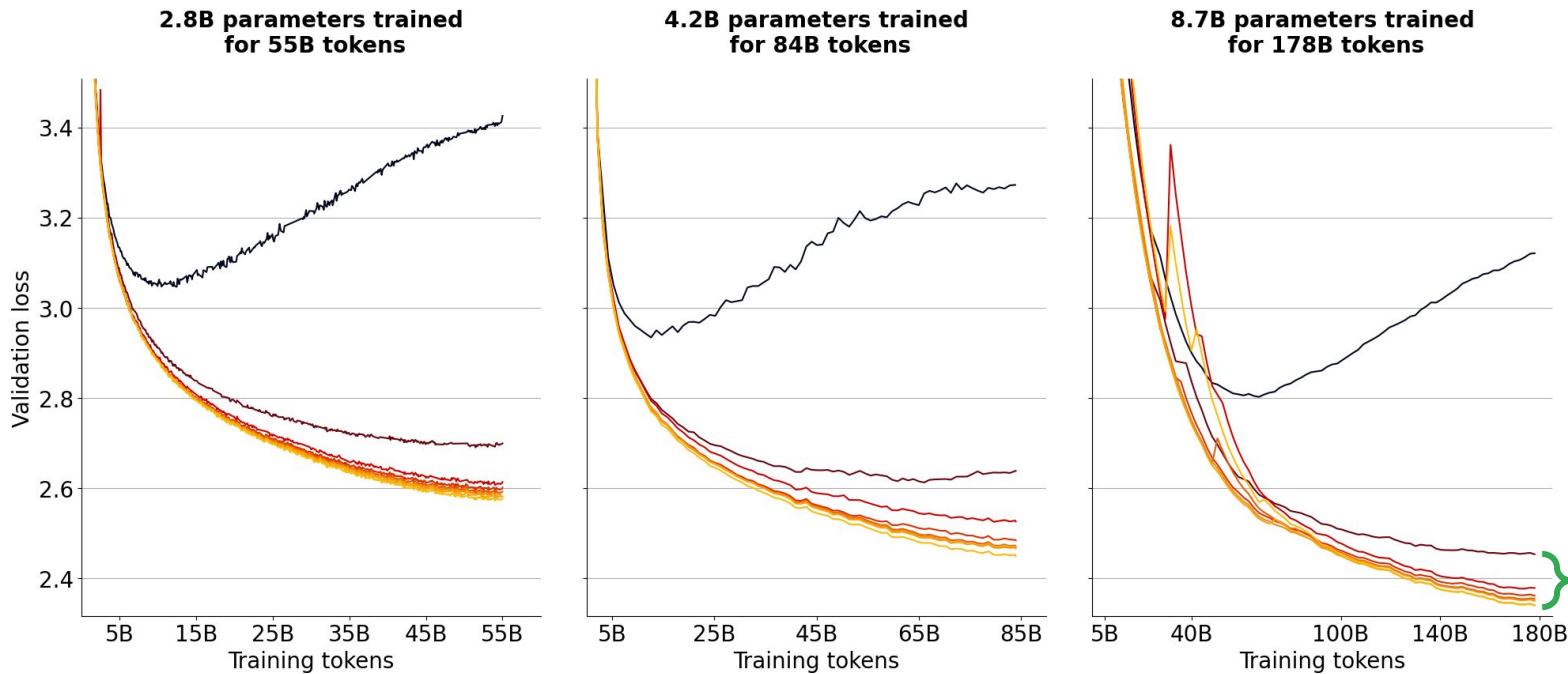
For each setup, train 8 models with different amounts of unique training data that is repeated

+ ~300 miscellaneous runs

Use common large language modeling presets:

- architecture (GPT-2 transformer)
- hyperparameters (Chinchilla)
- datasets (web crawls like C4)

Repeating data (Return)

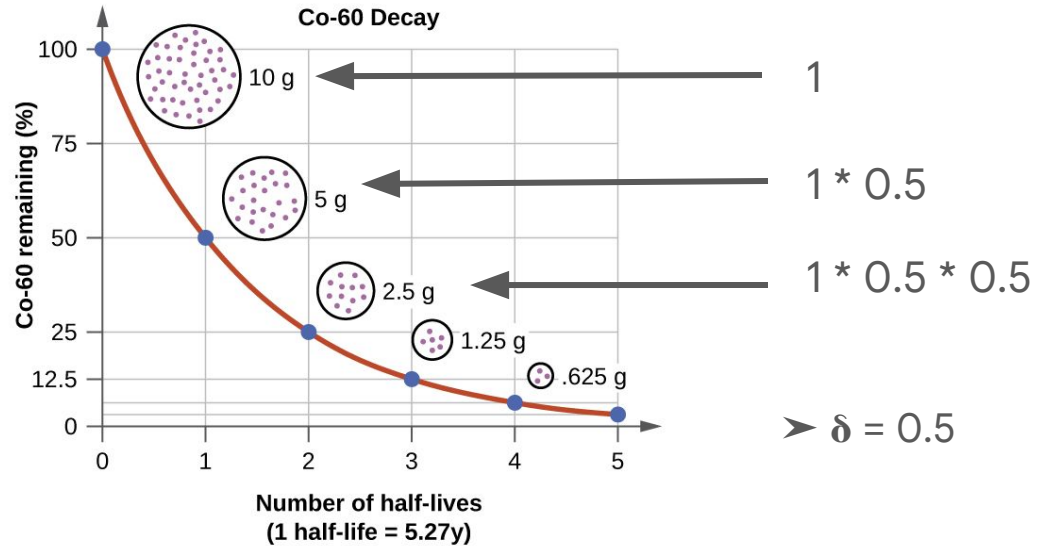


Data Epochs: — 1 — 2 — 3 — 4 — 5 — 7 — 14 — 44

Hypothesis: Data repeating as exponential decay

Intuitively, each time unique **data** is repeated it loses a fraction (δ) of its original value.

Radioactive decay is an example of exponential decay:



Sum up the value at each data repeat

D' = value of total data, U = unique data, R_D = number of repetitions

$$D' = U + (1 - \delta)U + (1 - \delta)^2U + \dots + (1 - \delta)^{R_D}U$$

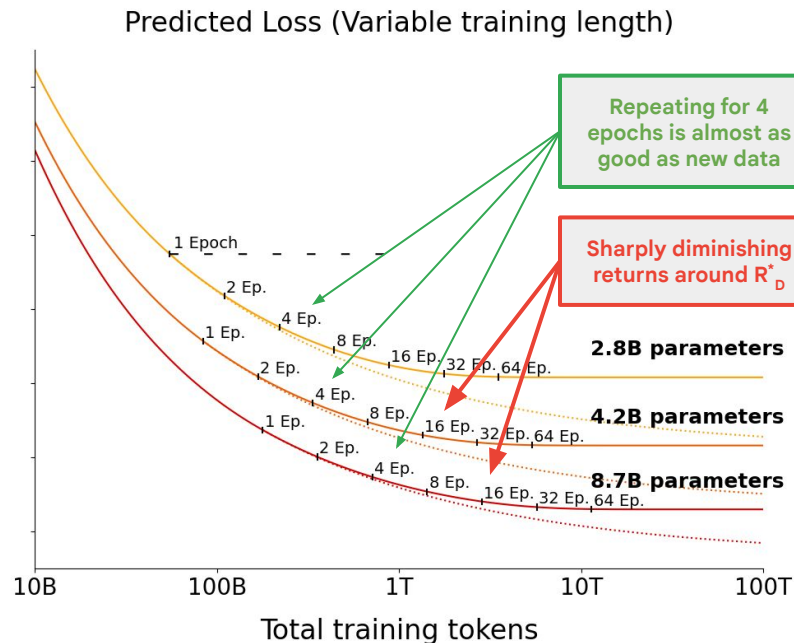
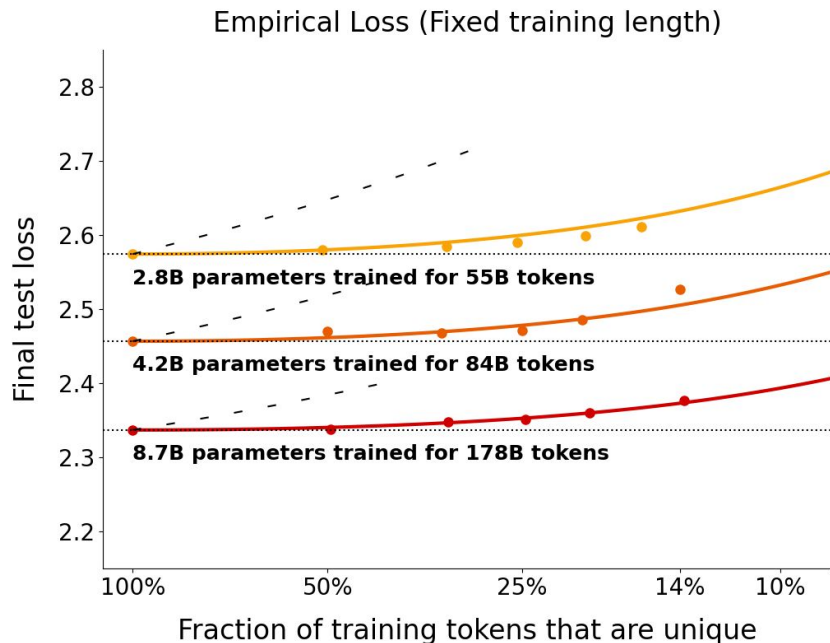
- If $\delta = 1$: repeated data is worth nothing (only first U counts)
- If $\delta = 0$: repeated data is as good as new data
- If $\delta = 0.5$: repeated data retains 50% of its prior value at each repeat

Approximation: $D' = U + U \cdot R_D^* \cdot (1 - e^{-R_D/R_D^*})$

R_D^* = learned parameter, number of times you can repeat before **sharply diminishing returns**

- If $R_D^* = 0$: repeated data is worth nothing
- If $R_D^* = \text{infinity}$: repeated data is as good as new data

Predicting loss (Return)



- Loss of models trained
- - Loss assuming training is stopped when exhausting all unique data

- Loss assuming repeated data is worth the same as new data
- Loss predicted by our data-constrained scaling laws

Estimate loss given parameters and repeated data

$$L(N, D) = \frac{A}{N^\alpha} + \frac{B}{D^\beta} + E$$

$$N' = U_N + U_N R_N^* (1 - e^{-\frac{R_N}{R_N^*}})$$

$$U_N = \min\{N_{opt}, N\}$$

$$D' = U_D + U_D R_D^* (1 - e^{-\frac{R_D}{R_D^*}})$$

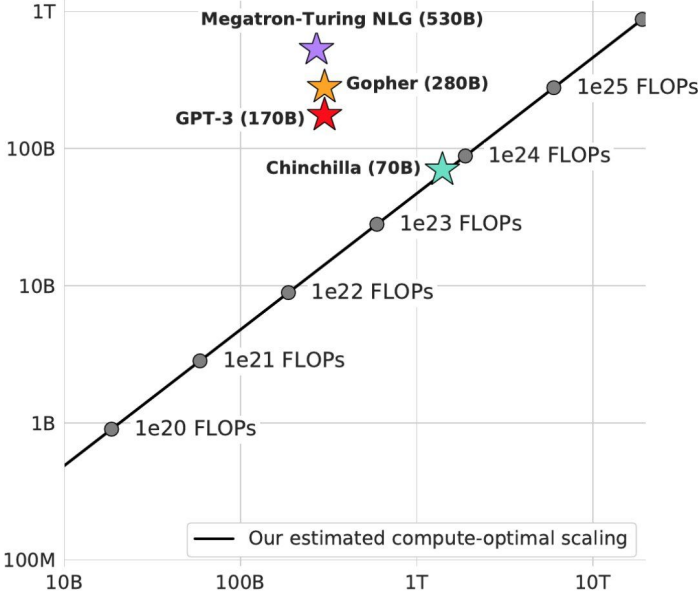
Fit on data from ~200 training runs to learn R_D^* and R_N^*

→ $R_D^* = 15.4$ ($\delta \approx 0.06$)

→ $R_N^* = 5.3$ ($\delta \approx 0.19$)

Reminder: Equal scaling when **not repeating data**

Model size
(# parameters)

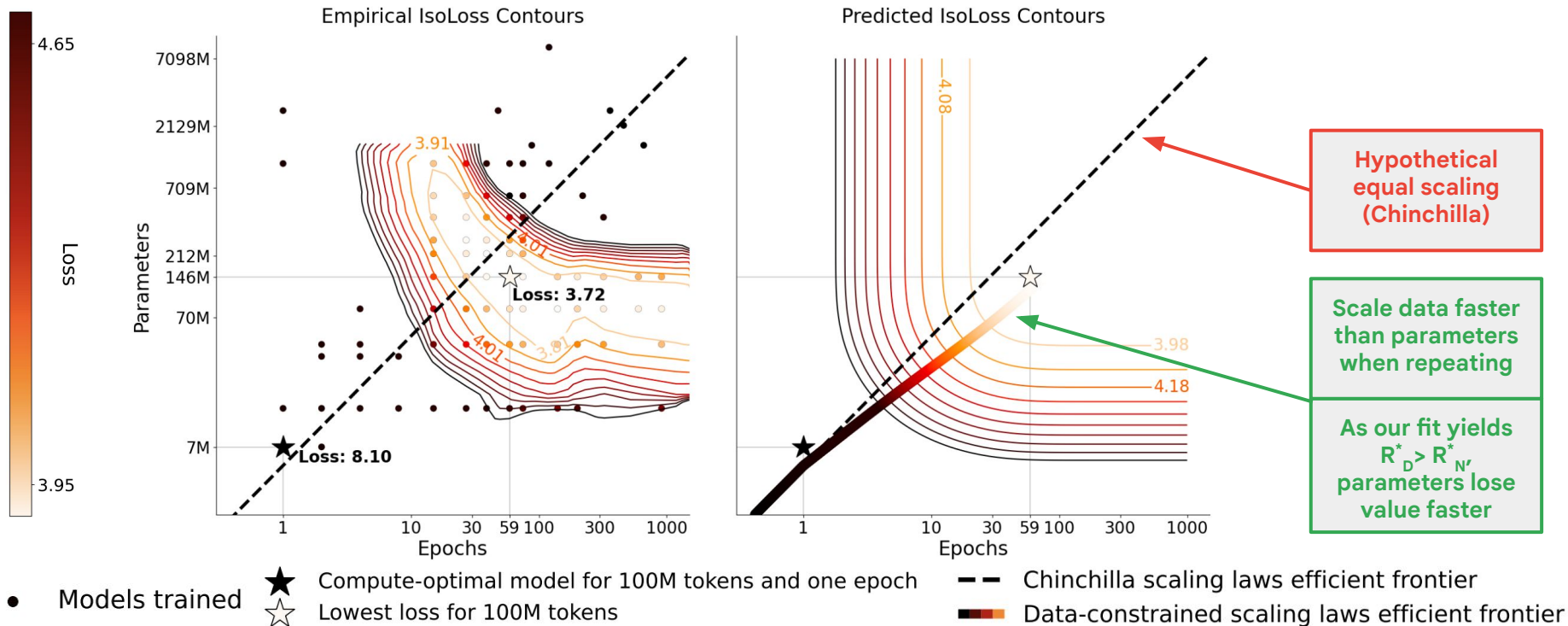


Training data (# tokens)

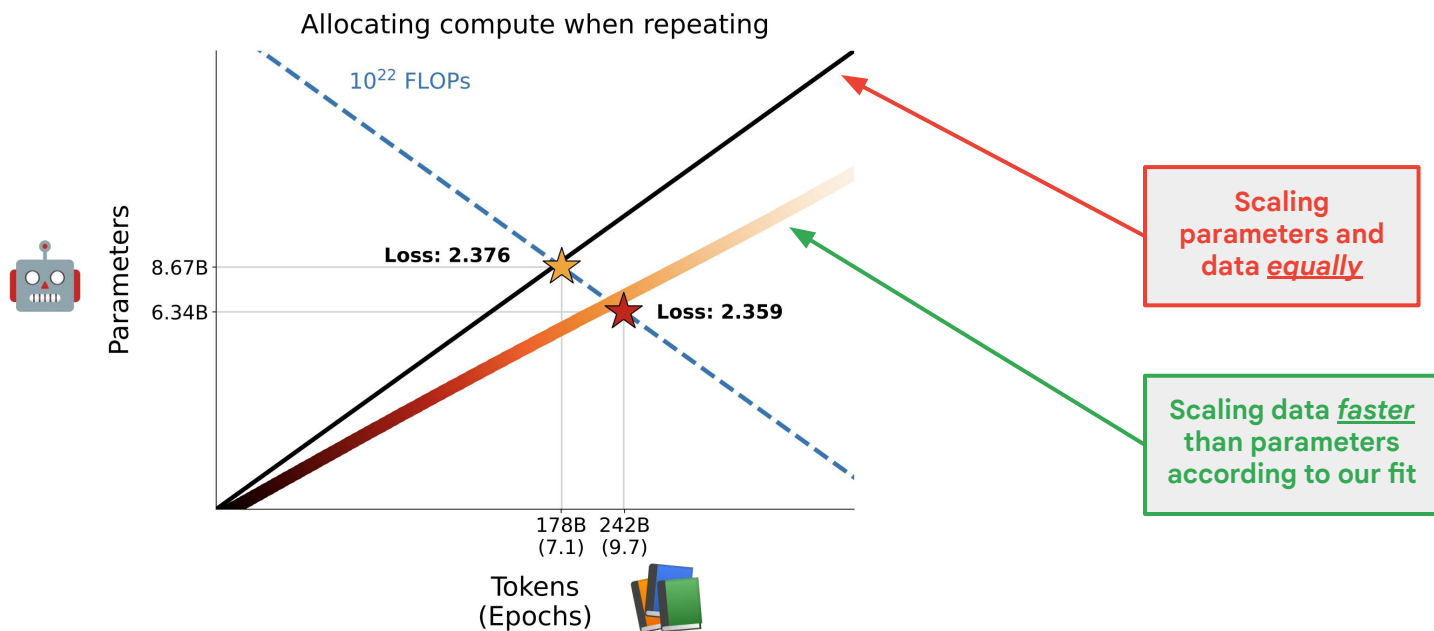


How to scale when repeating? (Allocation)

Training on 100M tokens of unique  data with varying  model size and data repetitions



Testing our predictions at scale (**Allocation**)



— Regime of same compute (IsoFLOP)

— Efficient frontier assuming repeated data is worth the same as new data

— Efficient frontier predicted by our data-constrained scaling laws

Testing our predictions at scale - Downstream (**Allocation**)

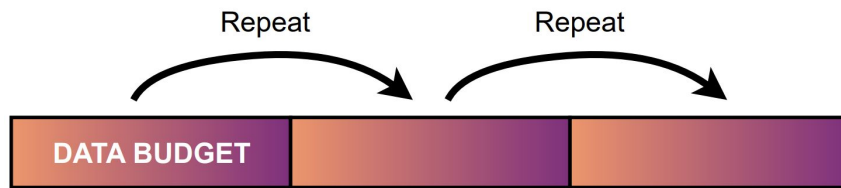
Task	Chinchilla: 8.7B parameters & 7 epochs	Data-Constrained: 6.3B parameters & 10 epochs
HellaSwag*	37.5	38.1
StoryCloze*	66.8	68.4
XSum*	3.0	3.8
...16 other NLP tasks...		
Average	23.5	<u>25.9</u>

*Average across 0-5 fewshots & rescaled

Complementary strategies to solve data constraints

Thus far:

Repeating

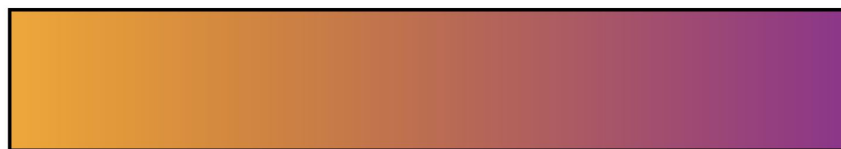


Other strategies:

Filling with code



Revise filtering



↓ Deduplicate /
Perplexity-filter

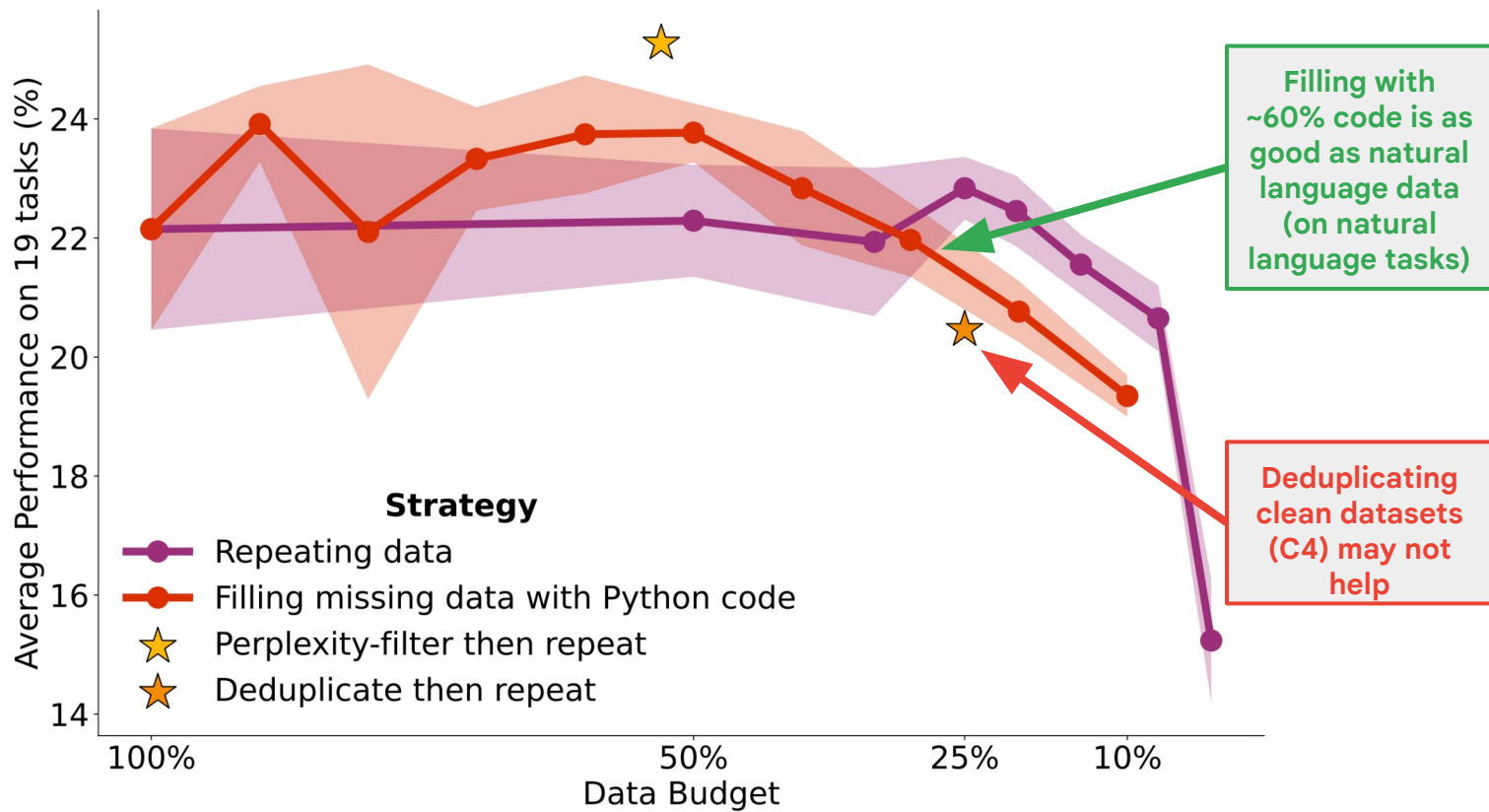


Repeat Repeat Repeat

Complementary strategies to solve data constraints



97 models
trained for $2.1e21$
FLOPs each



Takeaway #1

Repeating LLM data ~4x is fine.

Takeaway #2

50% code data is fine.

Takeaway #3

**Quality-filtering + repeating
can be a good strategy**

Scaling Data-Constrained Language Models - Impact



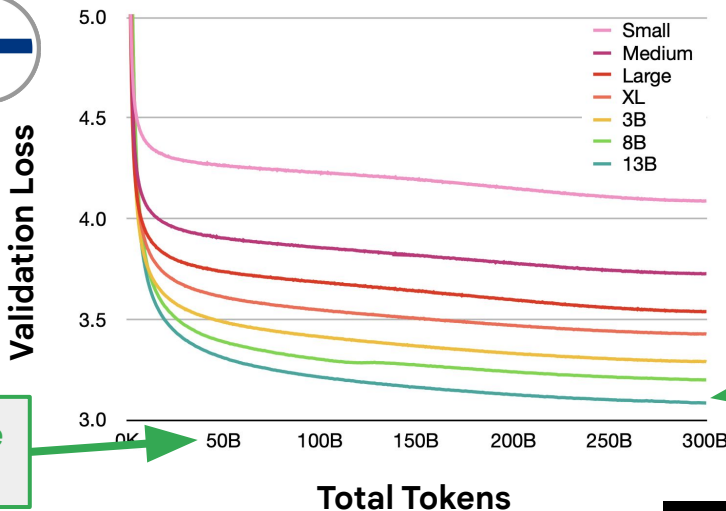
Outstanding Main Track Runner-Ups

Scaling Data-Constrained Language Models

Authors: Niklas Muennighoff · Alexander Rush · Boaz Barak · Teven Aleksandra Piktus · Sampo Pyysalo · Thomas Wolf · Colin Raffel

Poster session 2: Tue 12 Dec 5:15 p.m. — 7:15 p.m. CST, #813

Oral: Tue 12 Dec 3:40 p.m. — 4:40 p.m. CST, Hall C2 (level 1)



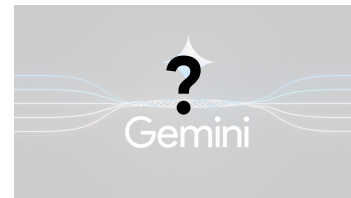
FinGPT:
Large
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8 epochs
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SILO Language Models



Thanks!

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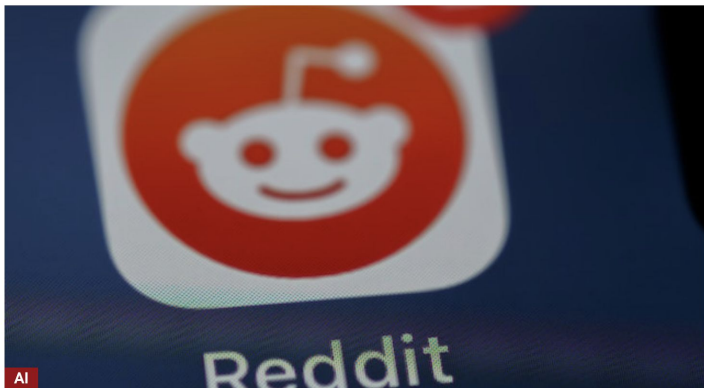
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Appendix

Scaling is **data**-constrained

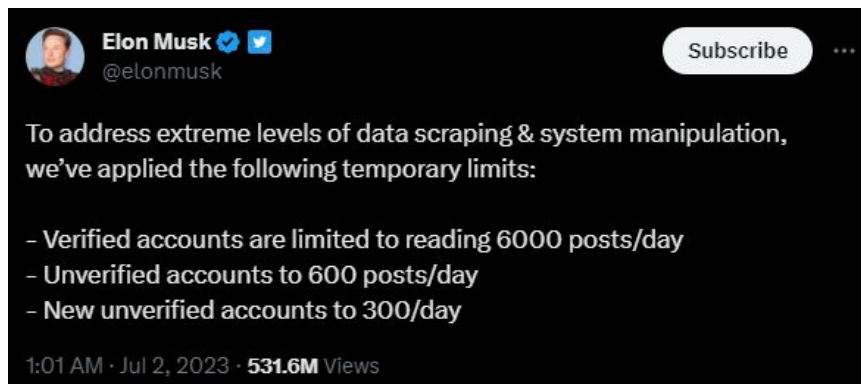
UPDATED 22:38 EDT / APRIL 18 2023



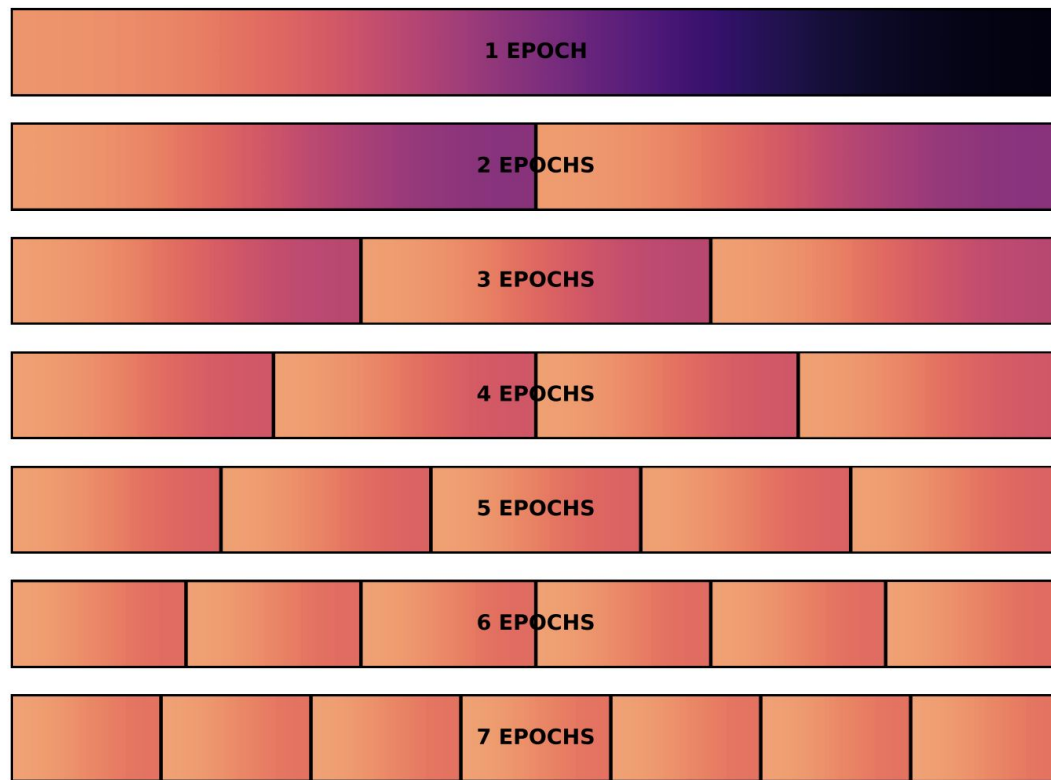
Reddit to charge for access to its API to counter free data scraping by AI companies

Google Books

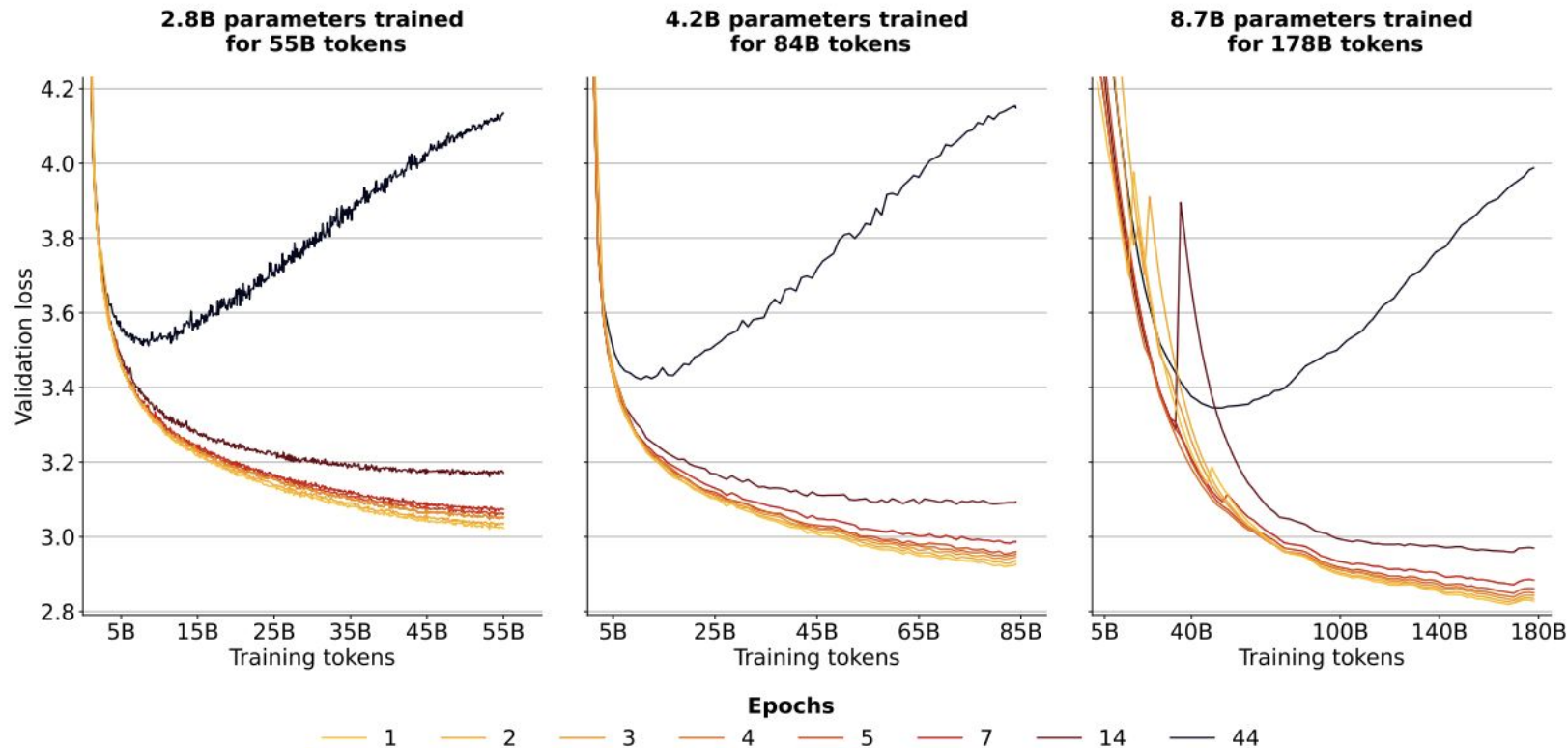
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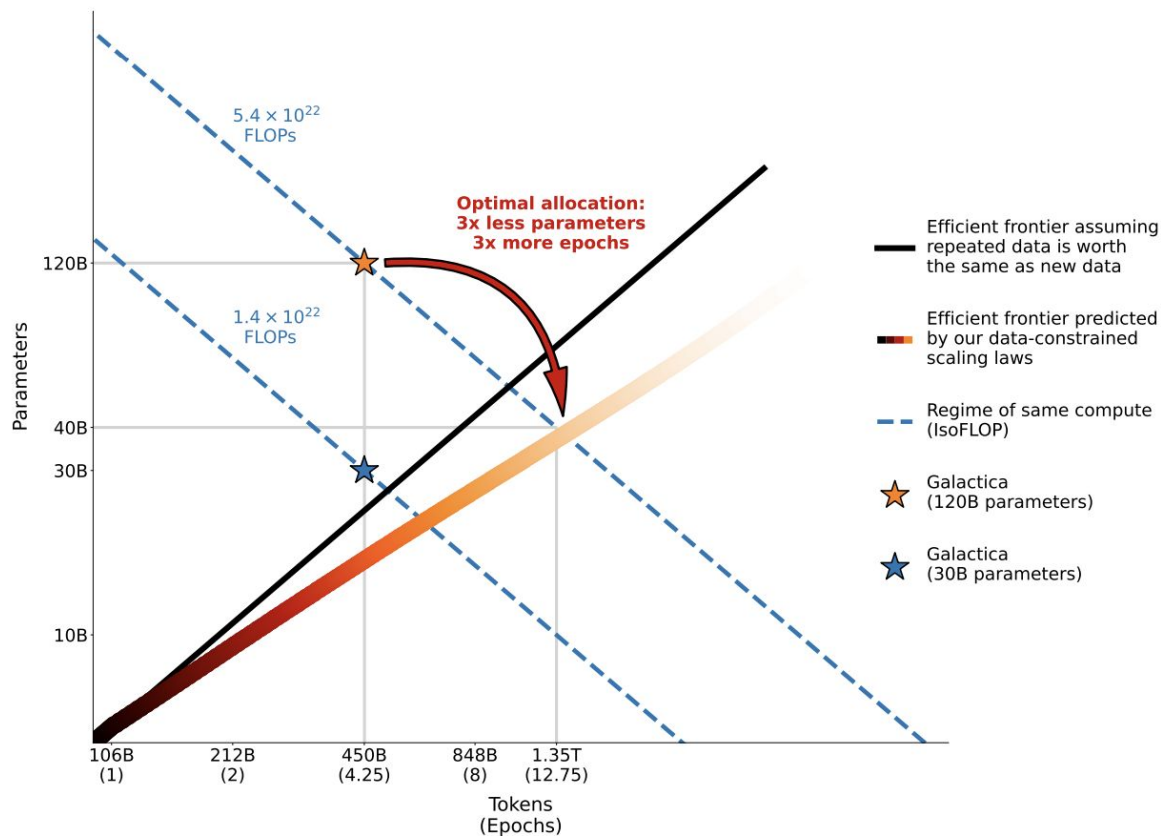
Dataset Setup



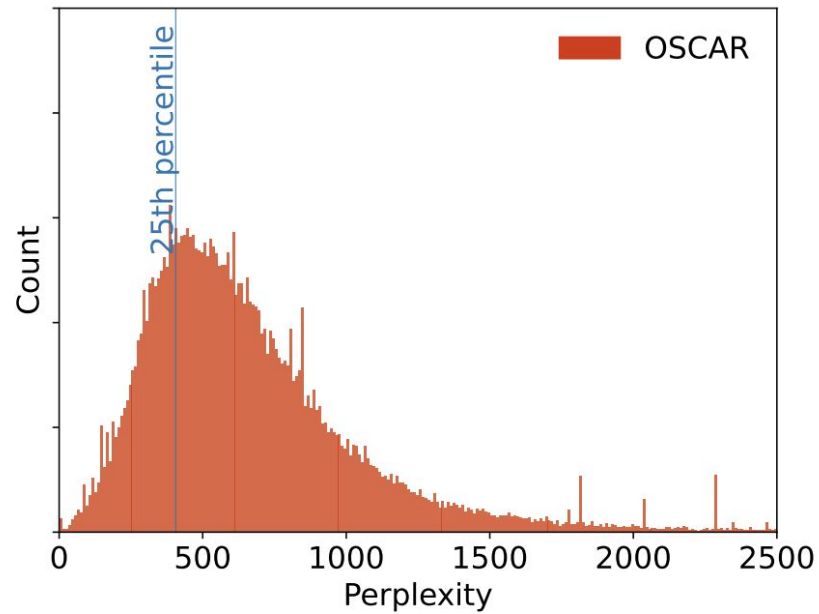
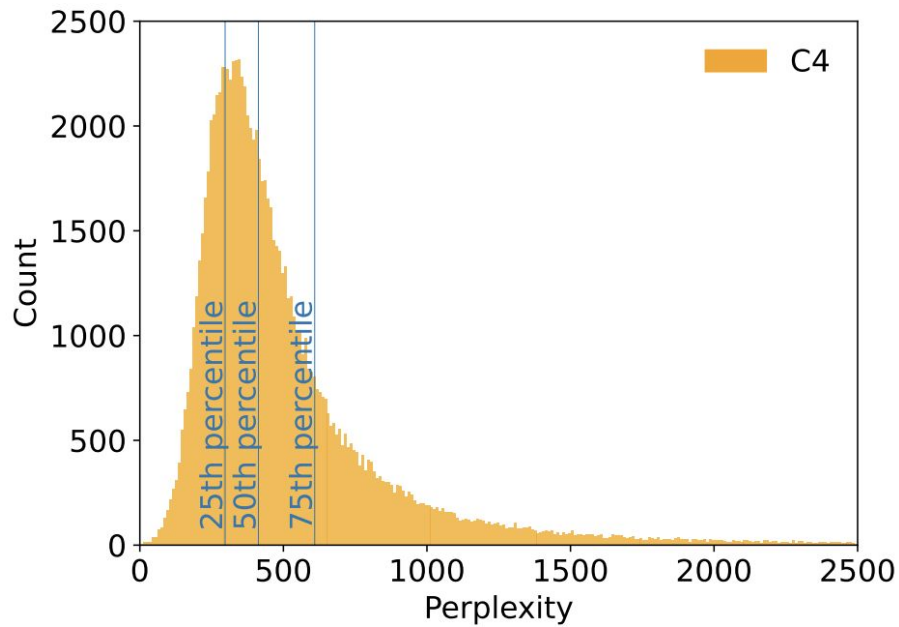
Repeating data on OSCAR (Return)



Case Study: Galactica



Perplexity filtering



Approximations

$$\begin{aligned} D' &= U + (1 - \delta)U + (1 - \delta)^2U + \dots + (1 - \delta)^{R_D}U \\ &= U + (1 - \delta)U \frac{(1 - (1 - \delta)^{R_D})}{\delta} \quad (\text{Geometric Series}) \end{aligned}$$

Let $R_D^* = \frac{1 - \delta}{\delta}$ & $(1 - \delta) \approx e^{-\delta} \approx e^{-1/R_D^*}$

➔ $D' = U + U \cdot R_D^* \cdot (1 - e^{-R_D/R_D^*})$