

The Simplest Compositional Semantics

Jerry R. Hobbs

**Information Sciences Institute
University of Southern California
Marina del Rey, CA
USA**

Representation

Pat believes Chris is tall.

believe(Pat, tall(Chris))

Representation

Pat believes Chris is tall.

believe(Pat, tall(Chris))

==> believe(Pat, T/F)

Modal Operators

Maybe the boy wanted to build a boat slowly.

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Maybe the boy wanted to build a boat slowly.

$(\iota x:\text{BOY})[\diamond \text{PAST}[\text{WANT}(x, \lambda z[(\exists y:\text{BOAT})[\text{Slow}(\text{build})(z, y)]]]]]$

Russell's
iota
operator

type

modal
operator

temporal
operator

lambda
expression

existential
quantifier

functional

predicate

Two Principles of Representation

- 1. All morphemes are created equal.**
- 2. Every morpheme conveys a predication**

Reification

tall(Chris) : Chris is tall.

tall' (e, Chris) : e is the eventuality of Chris' s being tall.

believe(Pat, e) & tall' (e, Chris)

Reification

The boy built a boat slowly.

$\text{boy}(x) \ \& \ \text{Past}(e) \ \& \ \text{build}'(e,x,y) \ \& \ \text{boat}(y) \ \& \ \text{slow}(e)$

The eventuality of building the boat

$(\forall x)[p(x) \leftrightarrow (\exists e)[p'(e,x) \ \& \ \text{Rexist}(e)]]$

Quantification over a
Platonic universe of
possible individuals

Asserts the existence of
the possible individual
in the real world.

Reification

Maybe the boy wanted to build a boat slowly.

maybe(e5) & the(x3,e3) & boy'(e3,x3) & want'(e4,x3,e6) & Past'(e5,e4)
& build'(e6,x3,y8) & a(y8,e8) & boat'(e8,y8) & slow(e6)



All first-order logic:
Predicates applied to arguments
where the arguments are
existentially quantified variables
with widest possible scope,
ranging over a universe of
possible individuals.

Morphemes as Predicates

Maybe the boy wanted to build a boat slowly.

maybe(e5) & the(x3,e3) & boy' (e3,x3) & want' (e4,x3,e6) & Past' (e5,e4)
& build' (e6,x3,y8) & a(y8,e8) & boat' (e8,y8) & slow(e6)

x3 is uniquely mutually identifiable in context
by the speaker and hearer
by virtue of the property e3

==> uniquely-mutually-identifiable-in-context-by-virtue-of-property(x3,e3)

==> the(x3,e3)

Restrictive vs. Nonrestrictive

the tall professor

$\text{the}(x1, e2 \& e3) \& \text{tall}'(e2, x) \& \text{professor}'(e3, x)$

where $e2 \& e3$
means $e1$ s.t.
 $\text{and}'(e1, e2, e3)$

the philosophical Greeks

$\text{the}(x1, e2 \& e3) \& \text{philosophical}'(e2, x) \& \text{Greek}'(e3, x) \& \text{Plural}(x, s)$

restrictive

the philosophical Greeks

$\text{the}(x1, e3) \& \text{philosophical}'(e2, x) \& \text{Greek}'(e3, x) \& \text{Plural}(x, s)$

nonrestrictive

Modality

John can not go.

John can go or not go, whichever he wants

John absolutely cannot go.

$\diamond\neg\text{go}(j)$ OR $\neg\diamond\text{go}(j)$

$\text{Rexist}(e1) \ \& \ \text{can}'(e1, e2) \ \& \ \text{not}'(e2, e3) \ \& \ \text{go}'(e3, j)$

vs.

$\text{Rexist}(e2) \ \& \ \text{can}'(e1, e3) \ \& \ \text{not}'(e2, e1) \ \& \ \text{go}'(e3, j)$

Scope of modals recast as predicate-argument relations.

Individuating Eventualities

**Eventuality: State or event under a description.
Therefore individuated very finely.**

run'(e1,P) & fast(e1)

go'(e2,P) & slow(e2)

gen(e1,e2)



**e1 generates e2:
they share the same location and time
(stronger than implication)**

Plurals and Quantifier Scope

Sets, type elements of sets, and functional dependencies

professors: **professor'(e,x) & Plural(x,s)**

Most professors like several textbooks.

**most(s1,s) & Plural(x1,s1) & professor'(e,x) & Plural(x,s)
& like'(e3,x1,y) & several(s2) & textbook'(e5,y) & Plural(y,s2)**

This is neutral wrt scope.

Inferencing discovers **Indiv(y)** or **FD(y,x)**

Advantage: We don't force linear order on quantifiers

Quantifiers are properties of and relations among
entities, sets and descriptions: **several, most, the**

Underspecification

Lexical ambiguity:

In Logical Form: **bank(x)**

In KB: **(A x) bank1(x) → bank(x)**

(A x,y) bank2(x,y) → bank(x)

Pronouns:

Pat gave Kris his computer.

LF: **give(p,k,c) & he(x) & Poss(x,c) & computer(c)**

Inference discovers **x=p** or **x=k** or something else

Syntactic ambiguity:

I see the man with the telescope.

LF: **see'(e,l,m,t) & man(m) & with(x,t) & telescope(t)**
& [x=e | x=m]

**Pass on to Inferential Processing the problems
that require inference.**

But Wait ...

John is tall. \implies john'(e1,x) & tall'(e3,x)

John is not tall. \implies john' (e1,x) & not' (e2,e3) & tall' (e3,x)

$P \ \& \ Q \ \& \ R \ \rightarrow \ P \ \& \ R$

So “John is not tall.” implies “John is tall.”

But Wait ...

Does not say x is tall;
Says e3 is x's being tall.



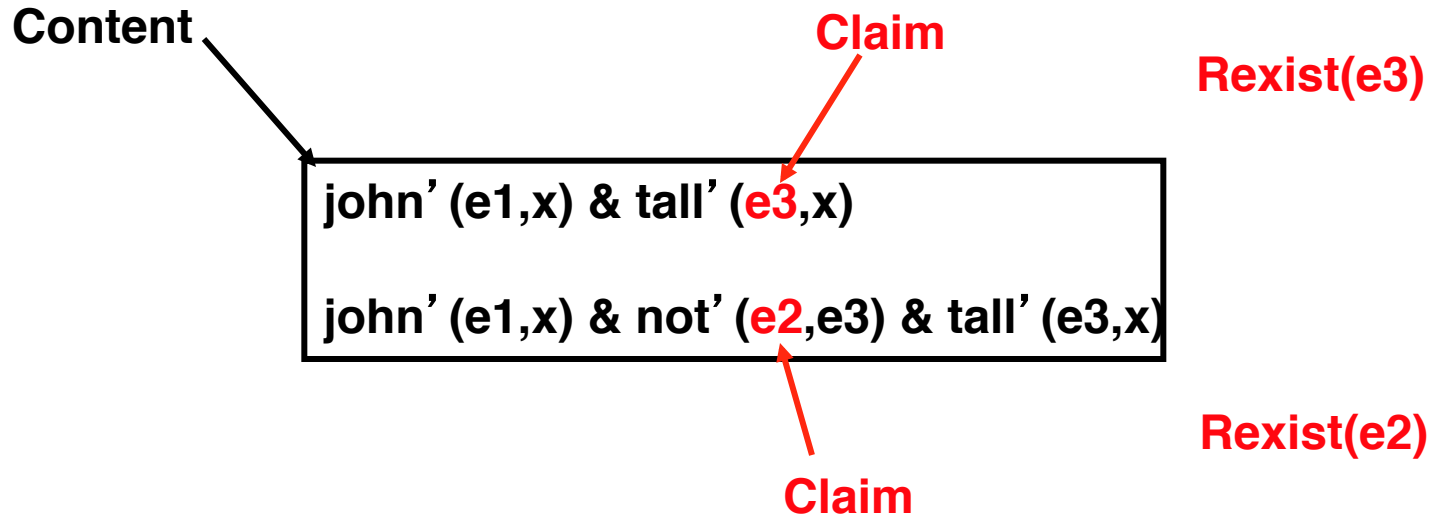
John is tall. \implies john' (e1,x) & tall' (e3,x)

John is not tall. \implies john' (e1,x) & not' (e2,e3) & tall' (e3,x)

$P \& Q \& R \rightarrow P \& R$

So "John is not tall." implies "John is tall."

Content vs. Claim



What's True and What Isn't

The lazy man did not manage to avoid attending the meeting.

Step 1: Identify the claim.

not

Step 2: Propagate truth and falsity.

not = T ==> manage = F ==> avoid = F ==> attend = T

Step 3: As a courtesy to the speaker, assume the other propositions are true.

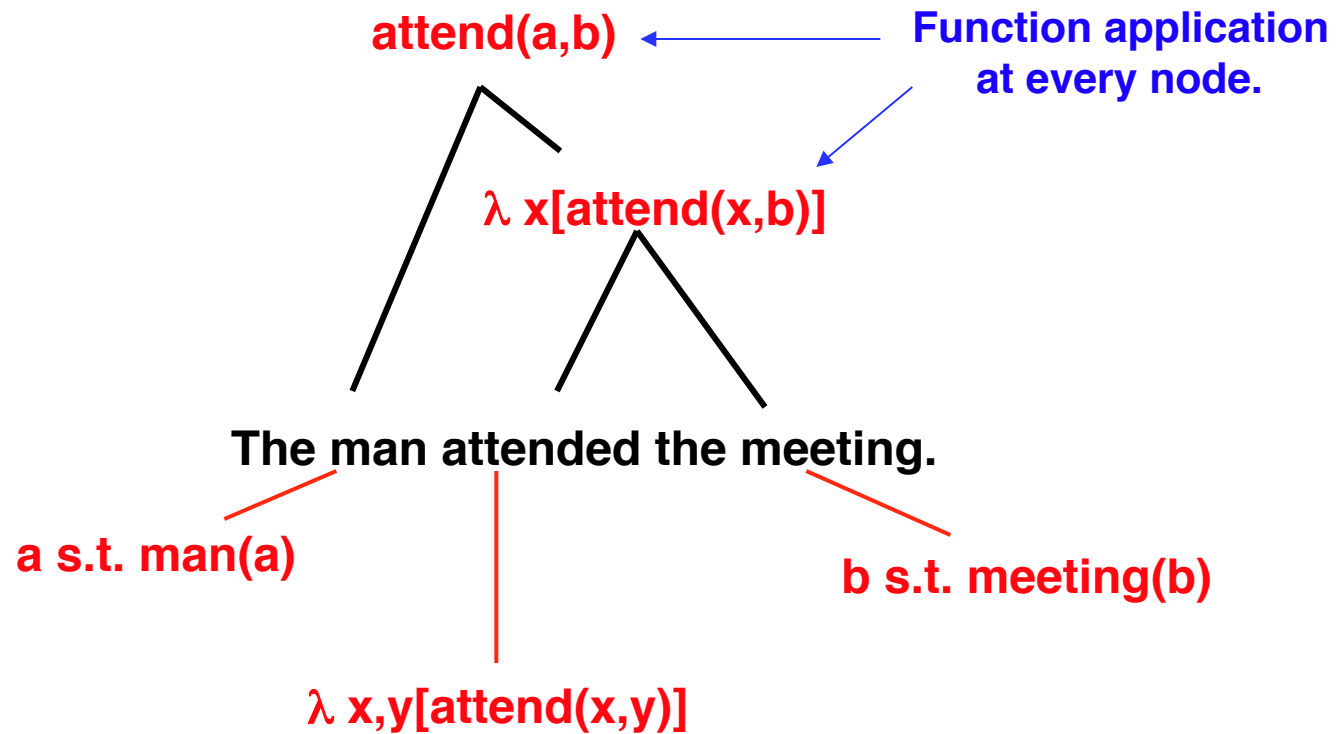
lazy = T; man = T; meeting = T

(But note: in belief contexts, ambiguity between

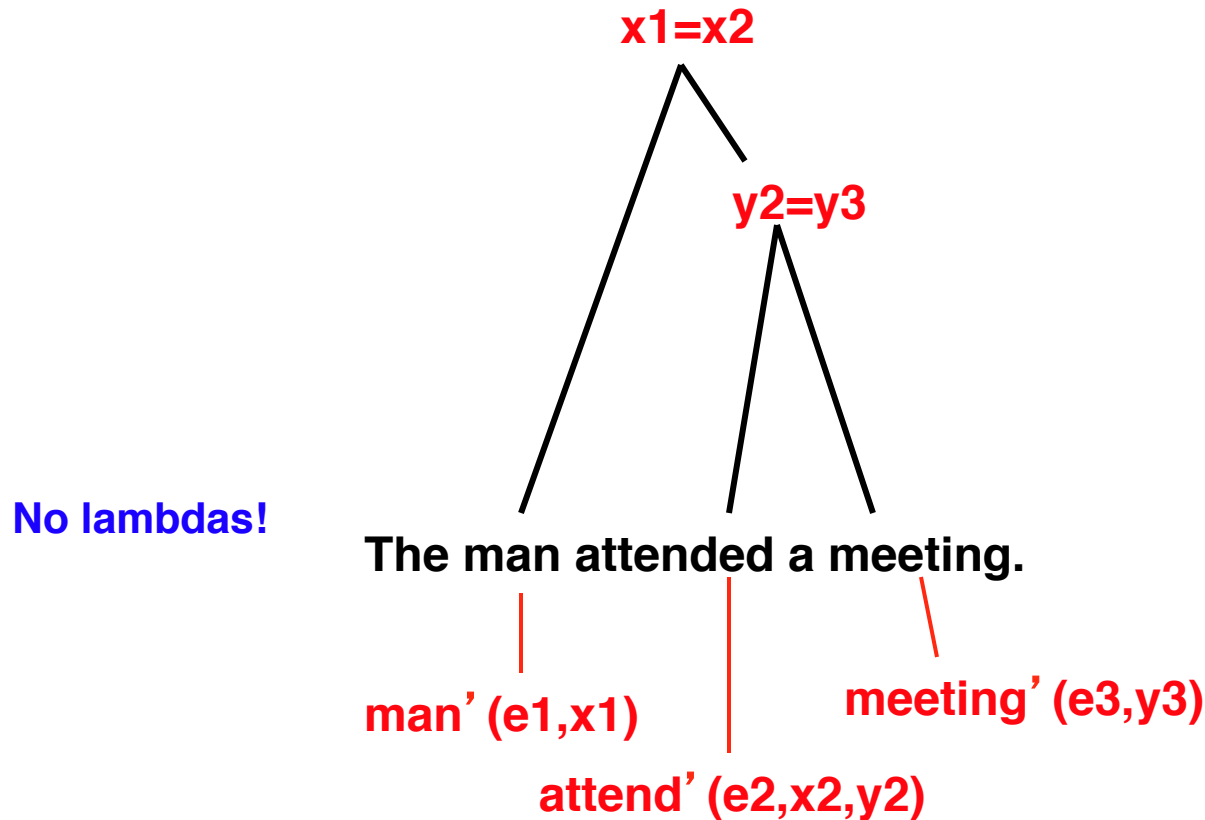
Rexist: de re

believe: de dicto)

Compositional Semantics: The Standard View



Simple Compositional Semantics



~~Function application
at every node.~~

With a flat logical form,
the only role
of function application
is to identify variables.

(ignoring tense
and determiners)

1. The lexicon provides predicate-argument relations.
2. Syntax identifies variables.

Syntax and Compositional Semantics

The only purpose of syntactic analysis is to recover the predicate-argument structure of the text.

Syntax IS natural language's way of encoding predicate-argument structure in strings.

The primary reason to discover predicate-argument structure is to do inference.

What are the Problems?

Morphemes convey predications,
i.e., predicates applied to arguments $p(x)$:

1. What is the predicate? p
 - lexical disambiguation
 - interpreting vague predicates (prepositions, “have”, ...)
 - interpreting the implicit relation in nominal compounds
 - vivification, concretization (“go” \Rightarrow “fly”)
2. What is the argument? x
 - coreference resolution
 - syntactic disambiguation
3. In what way are the predicate and argument congruent? $p(x)$
 - metonymy
 - metaphor

“Local Pragmatics”

What are the Problems?

Local Pragmatics

Local Coherence:

What information is conveyed by the adjacency of segments of discourse?

Global Coherence:

What role does the discourse play in the participants' plans to achieve things in the world?